

Towards An Assume-Guarantee Theory for Adaptable Systems

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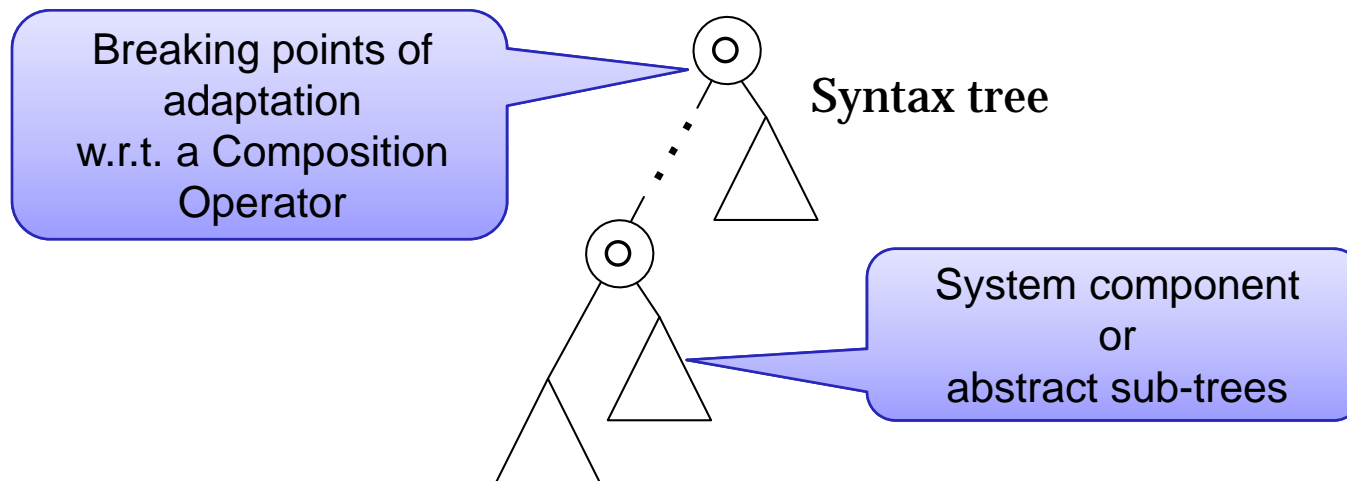
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Adaptation & Dependability

- ❖ Increasingly, software systems must adapt in response to
 - changing user needs
 - system intrusions or faults
 - changing operational environment
 - resource variability
- ❖ ...but still preserving a certain degree of dependability characterized as ***Invariants***
 - invariants represent the system properties that should be maintained w.r.t. the adaptation to be performed
 - Instead, non-critical properties might be relaxed, hence increasing the degree of flexibility of the system during or after adaptation

Framework Idea

- ❖ Break up a system in parts that can be substituted or changed without hurting the invariant property



- ❖ Every node labeled with an assumption to be satisfied by the component in order to maintain the invariant
- ❖ These assumptions can be automatically generated by following a compositional approach
- ❖ The framework works at different levels of abstraction spanning from code to software architecture

Main motivations

- ❖ Ease the task of effectively breaking the system into parts
- ❖ Ease the task of correctly (with respect to the invariant) composing a system out of elementary components
- ❖ Support adaptability at different levels of system granularity
- ❖ Efficiently drive the compositional assumption generation
- ❖ Support reactions to unsuccessful (with respect to the invariant) adaptations

Assume-Guarantee Reasoning (AGR)

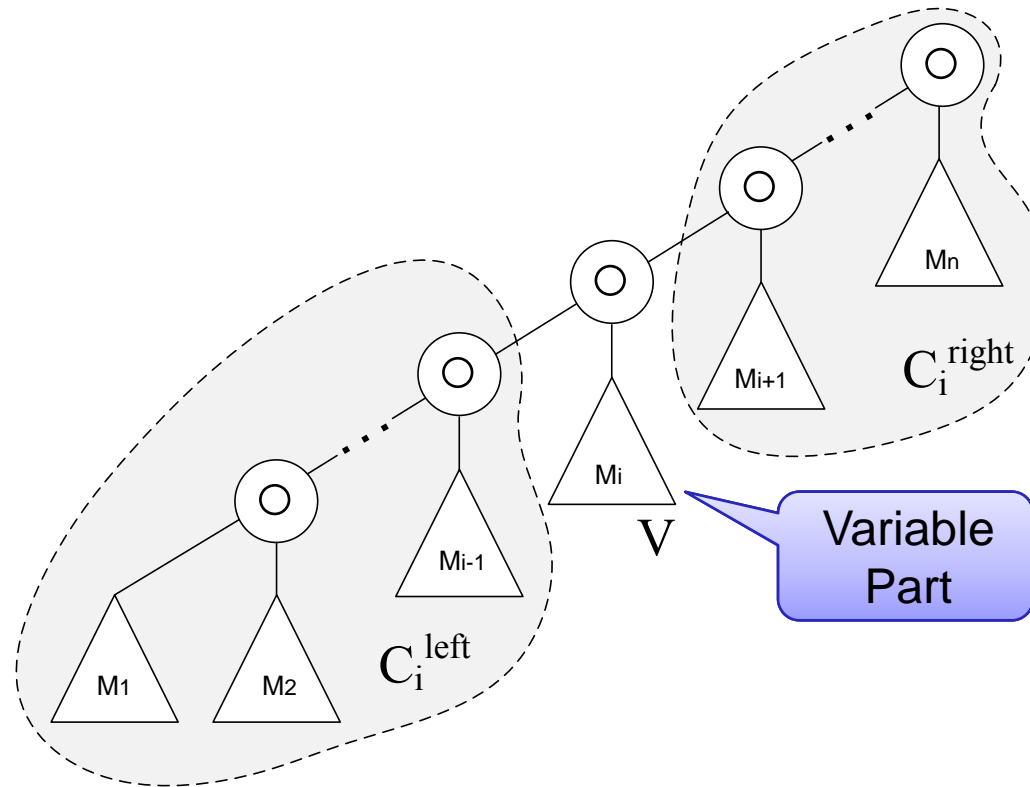
- ❖ By considering a system composed of several components, AGR aims at verifying the system through the separate verification of the single components



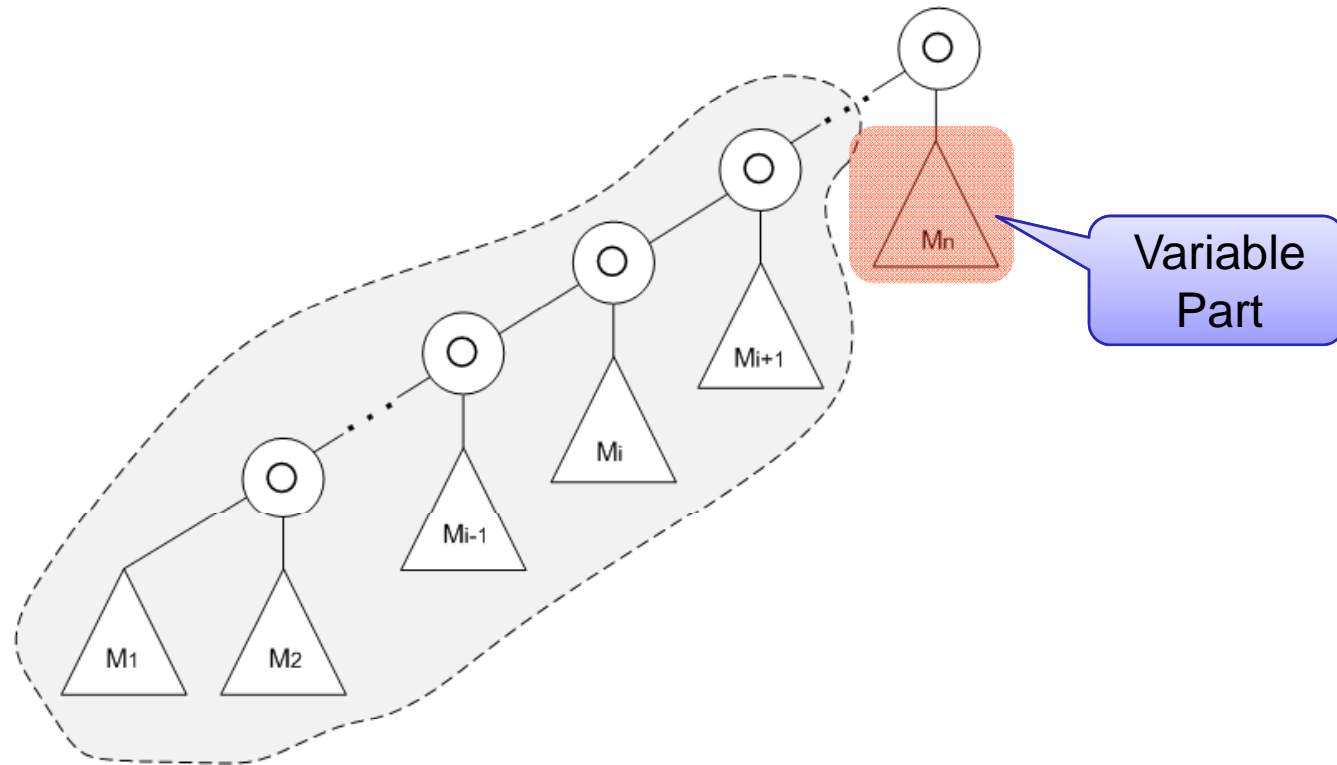
- ❖ Reasoning chain:

$$\begin{array}{c}
 \langle \rangle M' \langle \varphi \rangle \\
 \langle \varphi \rangle M \langle \psi \rangle \\
 \hline
 \langle \rangle M \cdot M' \langle \psi \rangle
 \end{array}$$

Decorate the system with assumptions and guarantees

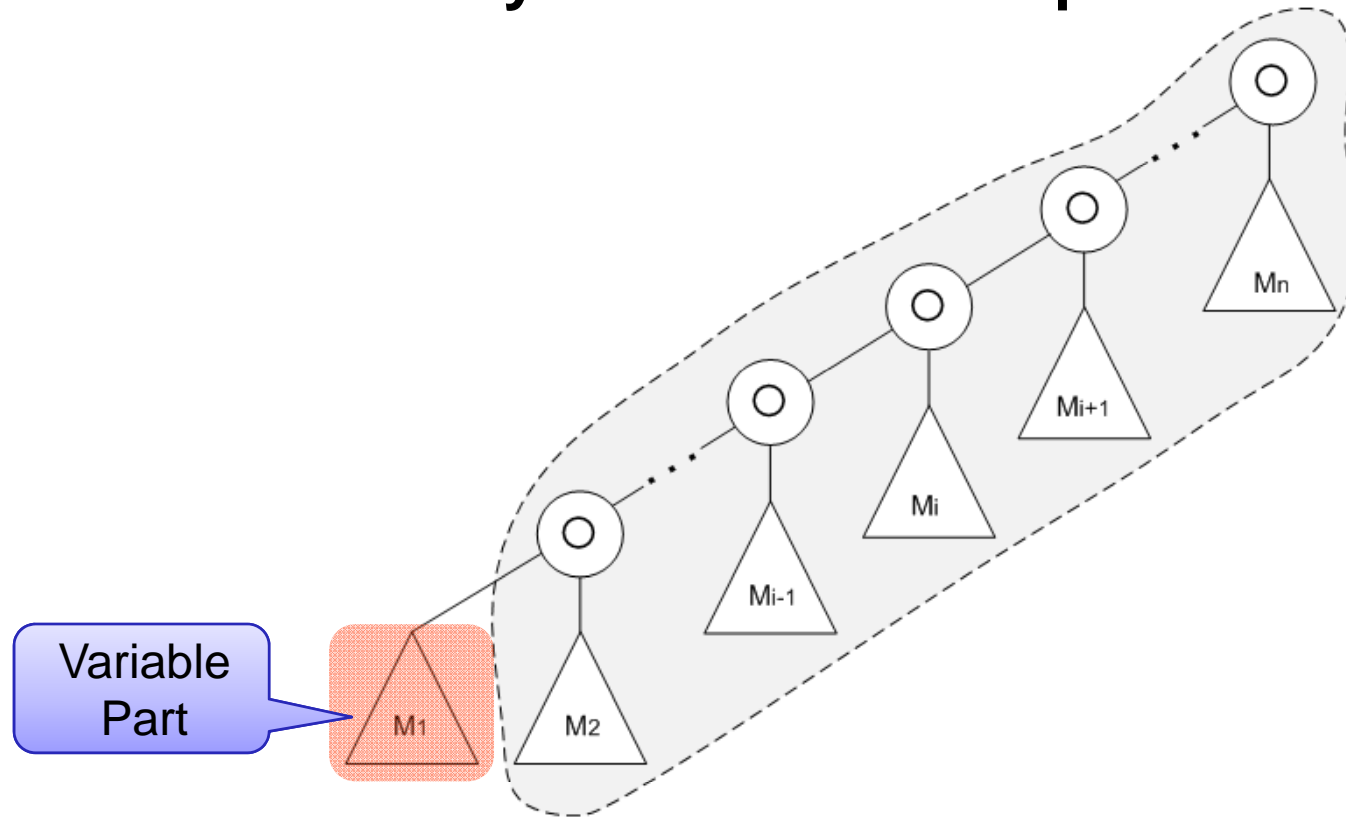


Decorate the system with assumptions and guarantees



$$\frac{\langle \phi_E \rangle C_n^{\text{left}} \langle A_n \rangle}{\langle A_n \rangle M_n \langle I \rangle} \quad \frac{}{\langle \phi_E \rangle C_n^{\text{left}} \circ M_n \langle I \rangle}$$

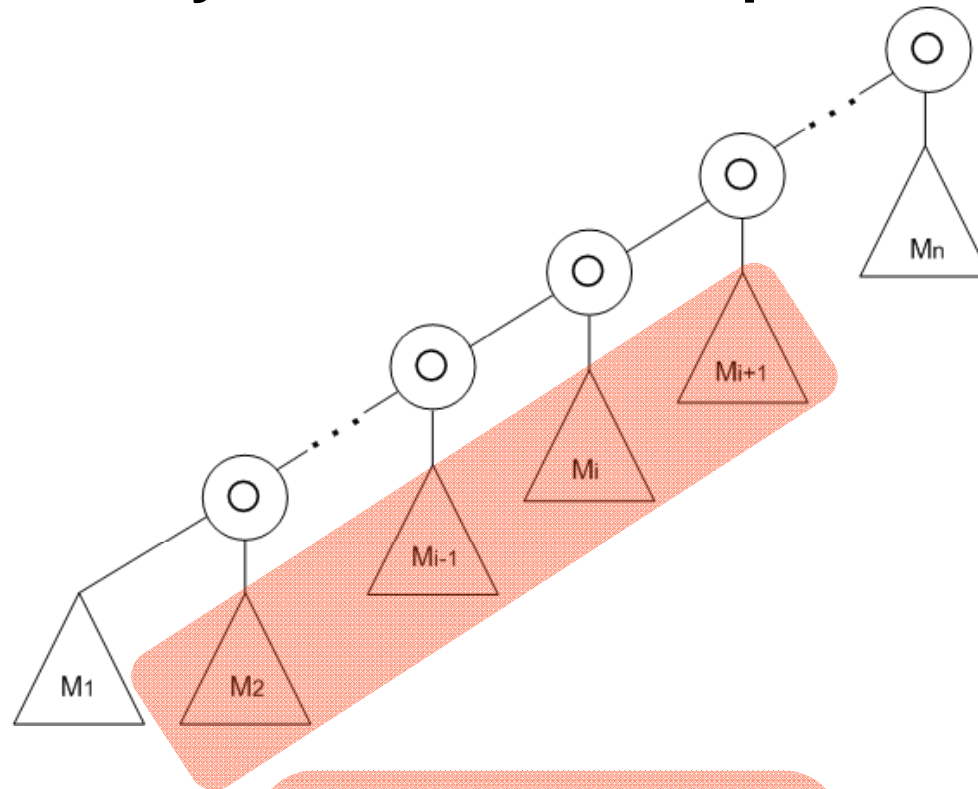
Decorate the system with assumptions and guarantees



$$\frac{\langle \phi_E \rangle M_1 \langle G_1 \rangle \quad \langle G_1 \rangle C_1^{\text{right}} \langle I \rangle}{\langle \phi_E \rangle M_1 \circ C_1^{\text{right}} \langle I \rangle}$$

$$\frac{\langle \phi_E \rangle C_n^{\text{left}} \langle A_n \rangle \quad \langle A_n \rangle M_n \langle I \rangle}{\langle \phi_E \rangle C_n^{\text{left}} \circ M_n \langle I \rangle}$$

Decorate the system with assumptions and guarantees



$$\frac{\langle \phi_E \rangle M_1 \langle G_1 \rangle}{\langle G_1 \rangle C_1^{\text{right}} \langle I \rangle}$$

$$\langle \phi_E \rangle M_1 \circ C_1^{\text{right}} \langle I \rangle$$

$$i=2, \dots, n-1$$

$$\langle \phi_E \rangle C_i^{\text{left}} \langle A_i \rangle$$

$$\langle A_i \rangle M_i \langle G_i \rangle$$

$$\langle G_i \rangle C_i^{\text{right}} \langle I \rangle$$

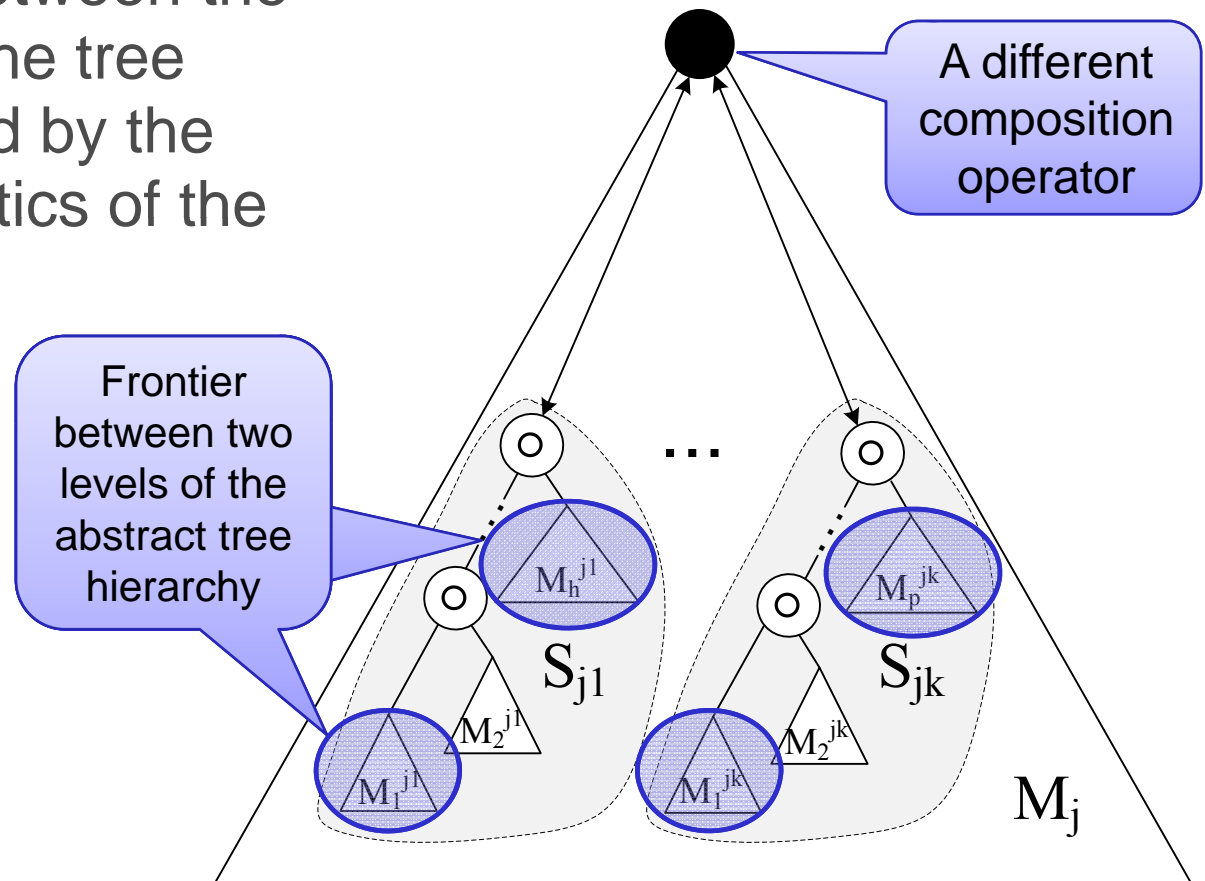
$$\langle \phi_E \rangle C_i^{\text{left}} \circ M_i \circ C_i^{\text{right}} \langle I \rangle$$

$$\frac{\langle \phi_E \rangle C_n^{\text{left}} \langle A_n \rangle}{\langle A_n \rangle M_n \langle I \rangle}$$

$$\langle \phi_E \rangle C_n^{\text{left}} \circ M_n \langle I \rangle$$

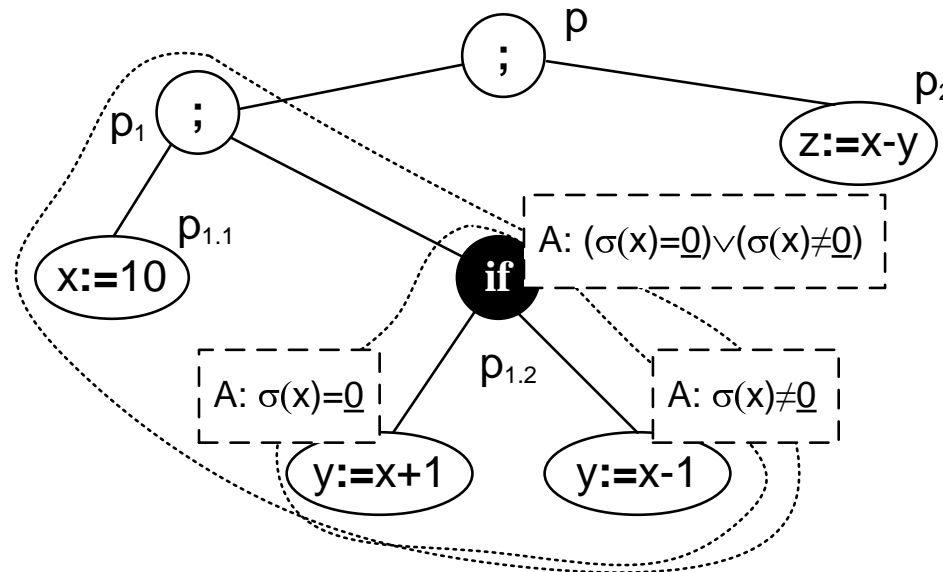
Sub-tree hierarchy of M_j

- ❖ The relationship between the different levels of the tree hierarchy is defined by the operational semantics of the operator ●



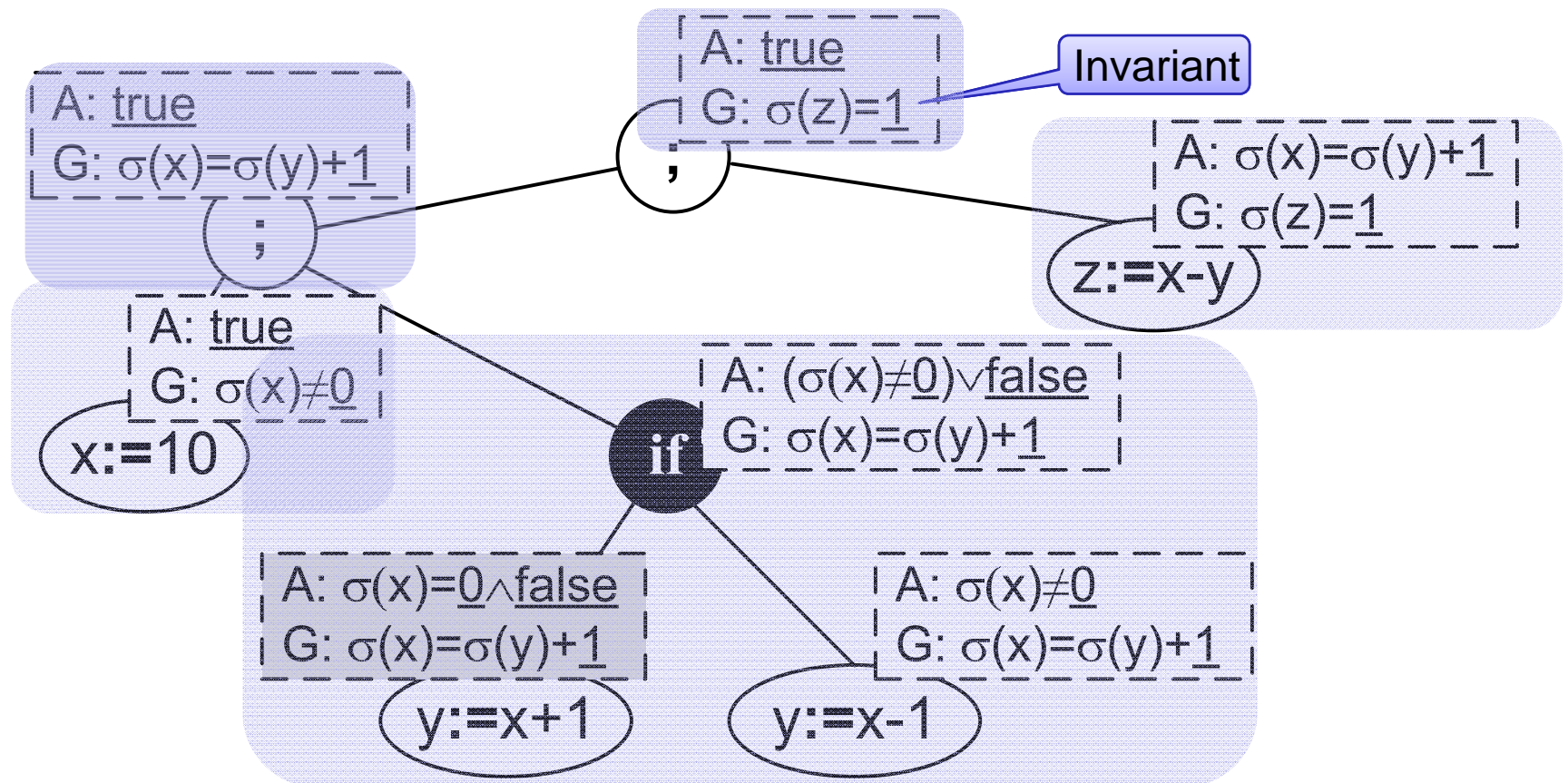
A simple programming language \mathcal{P}

```
x := 10;
if x == 0 then y := x + 1 else y := x - 1 fi;
z := x - y
```



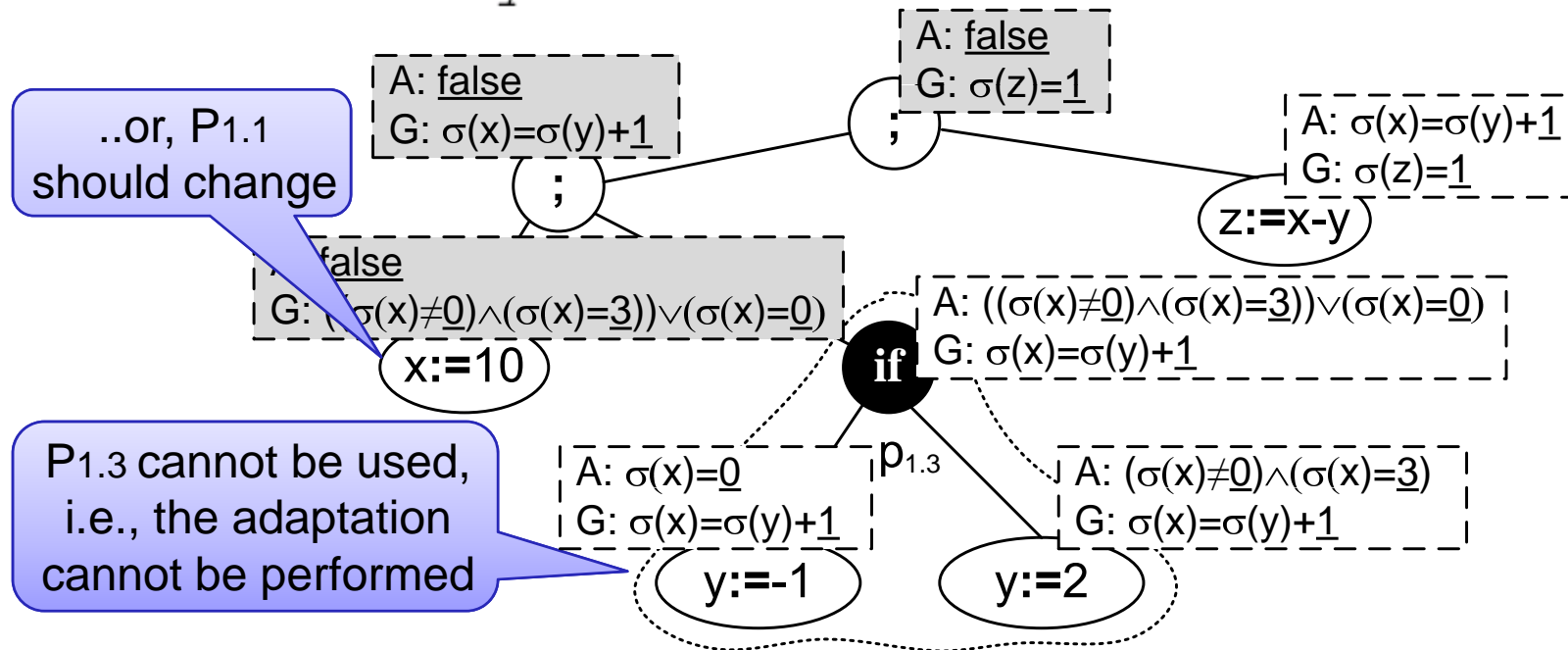
Decomposition of p

Assume-guarantee annotations of p



Adaptation

```
x := 10;
if x == 0 then y := -1 else y := 2 fi;
z := x - y
```

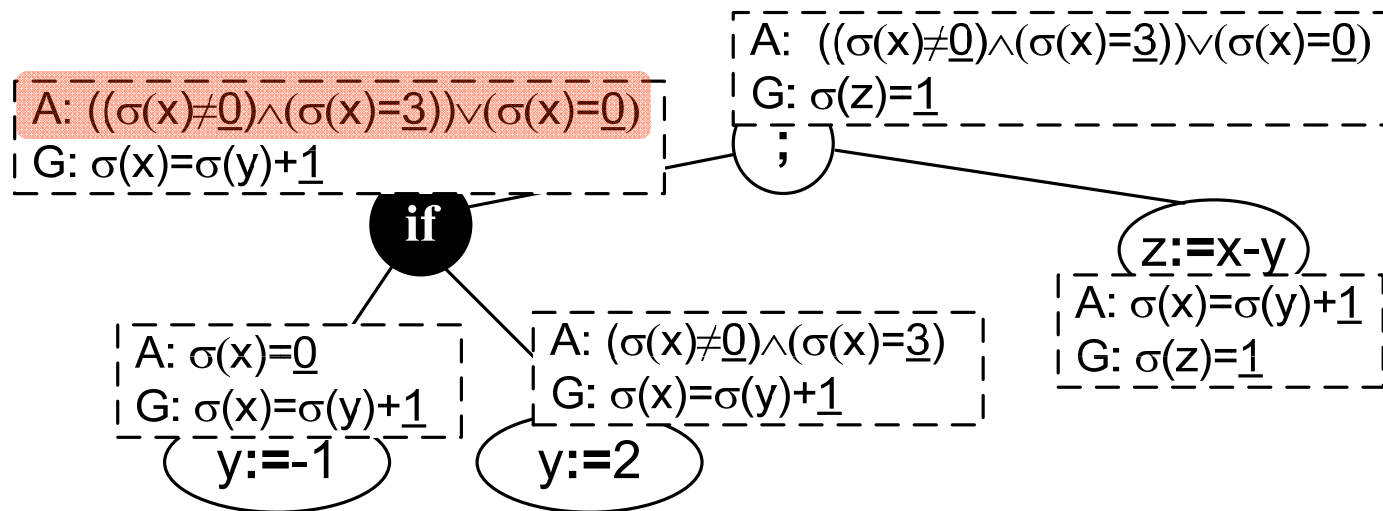


Assume-guarantee re-computation after adaptation

What are the possible P1.1s that guarantee the invariant?

```

if x==0 then y:=-1 else y:=2 fi;
z:=x-y
  
```



Main dimensions to be considered when dealing with AGR

- ❖ Composition operator: the composition operator should be carefully selected and must be associative
- ❖ Assumptions generation: a suitable assumption generation technique should be defined
- ❖ System and property decomposition: the property definition should be decomposable w.r.t. the AGR
 - What's about deadlock?
- ❖ Languages selection: to support automated assumption generation a semantic relationship between the language used to write the system and the language used to specify the properties must exist

Future work

- ❖ Fully formalize the framework in order to give a proof of its soundness and provide a basis for its automation
- ❖ Experiment it on case studies that belong to different application domains and that specify adaptation at different levels of system granularity
- ❖ Last but not least....rebuild L'Aquila:



Please sign the petition at <http://ideasforlaquila.org>

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Thank you for the attention!

Questions?